

## KINETICS AND MECHANISM OF THERMAL DeNOx: A REVIEW

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In 1972 the author, then with Exxon Research and Eng. Co. (ERE), discovered a new chemical reaction, the gas phase homogeneous reduction of NO to N<sub>2</sub> and H<sub>2</sub>O by NH<sub>3</sub>, in the presence of O<sub>2</sub> (1,2,3). This reaction was both rapid and highly selective, i.e. with reaction times of 0.1 sec or less NO could be nearly quantitatively reduced by equimolar amounts of NH<sub>3</sub> in the presence of O<sub>2</sub> concentrations orders of magnitude greater than the NO. The discovery of this reaction made possible a new and remarkably simple method of controlling the emissions of NO<sub>x</sub> from stationary sources such as utility boilers and industrial process furnaces, the Thermal DeNO<sub>x</sub> process. One simply found the location in the unit at which the temperature was appropriate to the reaction and installed there a grid to inject NH<sub>3</sub> into the hot flue gas. To date this process has had upwards of 60 commercial applications and in recent instances NO reductions in excess of 90% have been achieved.

One factor which helped make this success possible was the development of a predictive kinetic model, i.e. a model which described the kinetics of the reaction in terms of elementary reaction rate constants and which could be used to accurately predict the performance of the process in any given practical application. The model is routinely used in the engineering design of new Thermal DeNO<sub>x</sub> installation. To the author's knowledge this is the first instance in which a model based on elementary reaction rate constants has been so used. This success was the culmination of the efforts of workers both within and outside of ERE but this success has received less attention than it might have otherwise. Several papers and meeting presentations have outlined the general nature of the model (4,5,6,7,8), but the actual model itself has been disclosed only in one somewhat obscure patent (9). In this review the DDHL model will be discussed and compared with models published by others.

The other models of interest were developed by Hanson and Salimian with subsequent refinement by Hanson and Kimball-Linne (10,11), by Miller, Branch and Kee (12), and by Silver, Gozewski and Kolb (13), hereinafter the H&K, MBK, and SGK models, respectively. Silver and Kolb (14) also measured the rate constant of the NH<sub>2</sub> + NO reaction at elevated temperatures. Miller et al. are to be credited with proposing on purely theoretical grounds that the second channel of the NH<sub>2</sub> + NO reaction does not directly yield N<sub>2</sub> + H + OH but rather N<sub>2</sub>H + OH, a suggestion later supported experimentally by Andresen et al. (15). It is to be noted that both of these contributions were incorporated into the DDHL model.

A principal difference among these modeling efforts was the extent to which experimental data on the kinetics of the NO - NH<sub>3</sub> - O<sub>2</sub> reaction were available to the modelers. The MBK and SGK models are a priori models, i.e. in the development of these models if the rate constant of a reaction was unknown, it was estimated on purely theoretical grounds without any effort to choose a value that would make the model fit the data. Both these models were successful in qualitative terms in that they showed the appropriate trends when compared to the limited data of Muzio et al. (16). In the H&K model, however, the model seeks to provide a truly quantitative description of the reaction kinetics. Hanson and Kimball-Linne set up a laboratory scale combustor and generated a block of data showing the kinetics of the Thermal DeNO<sub>x</sub> process for initial temperatures ranging from 1258 K to 1548 K and initial [NO] and [NH<sub>3</sub>] ranging from 141 to 387 ppm and 78 to 556 ppm, respectively. Since the combustor was operated at a constant air/fuel equivalence ratio of 0.9, neither [O<sub>2</sub>] nor [H<sub>2</sub>O] were varied. Sensitivity analysis was done on the model and the rate constants of reactions which were uncertain and sensitive were adjusted to fit the data. Figure 1 shows an example of the model's fit to the data.

The DDHL model was developed in a similar manner, i.e. flow tube experiments were done with synthetic gas mixtures to develop two data bases, one relating to the oxidation of NH<sub>3</sub> in the initial absence of NO (T = 1279 to 1323 K, [NH<sub>3</sub>] = 900 ppm, [O<sub>2</sub>] = 2 to 8% and [H<sub>2</sub>O] = 0 or 1%) and the second larger data base relating to the reduction of NO by NH<sub>3</sub> (T = 1120 to 1390 K, [O<sub>2</sub>] = 2 to 8%, [H<sub>2</sub>O] = 0 to 15%, [NO] = 100 to 460 ppm, [NH<sub>3</sub>] = 270 to 530 ppm, a total of 742 data points). A kinetic model was developed which gave excellent fit to the former data base and with minor modifications which didn't damage the fit to the NH<sub>3</sub> oxidation data base it proved possible to fit the NO reduction data base within 7%, which is within the experimental uncertainty. Figure 2 shows examples of this model's fit to laboratory data (5) while Figure 3 shows a comparison between the model's predicted performance for the Thermal DeNO<sub>x</sub> process in commercial application and what was obtained. (9)

Since then the DDHL and HSK models were derived in general similar manners, the comparison between them is particularly interesting. While the DDHL model uses 31 elementary reactions of H/N/O species, the H&K model uses 52. Of these 30 reactions are common to the two models, DDHL includes one radical reaction which is probably unimportant under Thermal DeNO<sub>x</sub> conditions and which the H&K model omits. The H&K model includes ten such radical reactions. The other reactions which are used in H&K and omitted in DDHL includes three reactions which form nitrogen atoms and four reactions of N<sub>2</sub>O. The former have high activation energies and will be important only at temperatures well above the Thermal DeNO<sub>x</sub> range. Since Thermal DeNO<sub>x</sub> does not make significant amounts of N<sub>2</sub>O, the latter will be unimportant in the initial absence of N<sub>2</sub>O. While the DDHL model shows the interaction of NH<sub>2</sub> and NO as a two channel reaction, capable of yielding N<sub>2</sub>H + OH and N<sub>2</sub> + H<sub>2</sub>O, the H&K model shows it as having a third far less probable channel yielding HNO + NH. DDHL shows the reactions of NH<sub>2</sub> + O, NH + O<sub>2</sub>, and

NO + HO<sub>2</sub> as single channel processes, each making only one pair of products. While the H&K model agrees that these are the dominant reaction pathways, it does include a second less important channel for each. The H&K model also includes the reaction  $N_2H+O_2=N_2+HO_2$  with a rate constant that is 1000 times less at 1200 K than the rate constant which H&K assumes for the competing  $N_2H+NO=N_2+HNO$  reaction. Thus the omission of this reaction by DDHL does not appear to be a serious disagreement.

Indeed there does not seem to be any disagreement between the two models as to which reactions are central to the Thermal DeNO<sub>x</sub> chemistry. There is also much agreement as to the roles which these reactions play in deciding the overall kinetics of the Thermal DeNO<sub>x</sub> reaction. In both models the overall reaction mechanism may be divided into two submechanisms, a chain reaction in which NH<sub>3</sub> reduces NO and a chain reaction in which NH<sub>3</sub> is oxidized to form NO. In both submechanisms the first step is the attack on NH<sub>3</sub> by O and OH to form NH<sub>2</sub>. In the reduction submechanism the NH<sub>2</sub> reacts with NO yielding either N<sub>2</sub> and H<sub>2</sub>O (a chain terminating step) or yielding NNH and OH. If the latter step is followed by the reactions  $NNH+M=N_2+H+M$  and  $H+O_2=OH+O$  it is strongly chain branching. If, however, the subsequent reaction is  $NNH+NH_2=N_2+NH_3$  or  $NNH+OH=N_2+H_2O$  the result is chain termination. Consequently the NO reduction submechanism is a self controlling explosion. Initially the chain branching sequence is dominant and the concentration of chain carriers grows exponentially, i.e. at a rate that is proportional to the concentration of chain carriers. Since chain termination processes have rates that are proportional to the square of the chain carrier concentration, they soon limit the increase in chain carrier concentration. Thus in the NO reduction submechanism the rate of the overall reaction rapidly grows to a finite limit and proceeds smoothly thereafter.

In the NO formation submechanism NH<sub>2</sub> reacts with O, OH and O<sub>2</sub>. The latter reaction directly produces HNO while the former two reactions produce NH which reacts with O<sub>2</sub> to yield HNO. The function of HNO in the oxidation submechanism is similar to NNH, i.e. dissociation of HNO to yield H atoms causes chain branching while reaction with NH<sub>2</sub> or OH causes chain termination. Thus the oxidation submechanism, left to its own devices, would regulate the chain carrier concentration and overall reaction rate to finite values, though not necessarily the same values as those dictated by the reduction submechanism. This conflict helps make the kinetics of the Thermal DeNO<sub>x</sub> reaction more complex than one might expect from the number of reactions involved.

While there is agreement between the DDHL and H&K models as to which reactions are important, there is significant disagreement as to the roles those reactions play. In table 1 the rate constants of the thirty reactions the two models have in common are listed along with the ratios of those rate constants at 1200 K. Numerically the largest disagreement relates to the  $NH+O_2=HNO+O$  reaction but this is actually trivial since neither model assumes any reaction of NH which could compete effectively with  $NH+O_2=HNO+O$ . The disagreement as to the rate constant for the  $NNH+NO=N_2+HNO$  reaction is more important.

In the DDHL model control of the overall rate is shared between the submechanisms while the high rate constant assumed by H&K for this reaction tends to transfer control of the overall rate from the reduction submechanism to the oxidation submechanism.

Another important disagreement between the models relates to the balance between chain branching and chain termination. In the DDHL model the rate of the chain terminating reaction  $\text{NH}_2 + \text{HNO} = \text{NH}_3 + \text{NO}$  is faster by a factor of 15.8 than in the H&K model. This disagreement is compounded by the fact that in the H&K model the  $\text{N}_2 + \text{H}_2\text{O}$  and  $\text{NNH} + \text{OH}$  channels in the  $\text{NH}_2 + \text{NO}$  reaction are assumed to have equal rate constants while in the DDHL model the former is 1.5 times as fast as the latter. This rate constant ratio is very critical to the kinetics since it controls the chain branching factor.

Finally it is to be noted that in the DDHL model the rate constant for the  $\text{NH}_3 + \text{O} = \text{NH}_2 + \text{OH}$  reaction is a factor of five slower than that used in the H&K model. A recent review of the literature by Cohen (17) recommends a rate constant for  $\text{NH}_3 + \text{O} = \text{NH}_2 + \text{OH}$  that is midway between the H&K and DDHL values with an uncertainty large enough to include both. The result of this and to a lesser extent the other disagreements between the models is that the concentration of O atoms during the deNOx reaction is much lower in the H&K model than it is in the DDHL model. Within DDHL  $\text{NH}_2$  is oxidized to NO chiefly by reaction with O atom but in H&K the  $\text{NH}_2 + \text{OH} = \text{NH} + \text{H}_2\text{O}$  is more important. This leads the two models to rather different predictions of the effect of water vapor on the kinetics of the Thermal DeNOx reaction. Figures 4 and 5 show calculations of the extent of NO reductions as a function of reaction temperature done with the DDHL and H&K models. In the DDHL model adding water vapor shifts the optimum reaction to higher values, i.e. in the DDHL model added water removes O atom via the reaction  $\text{O} + \text{H}_2\text{O} = 2\text{OH}$  and since O is the critical chain carrier removing it with added water retards the reaction. In the H&K model, however, adding water shifts the optimum reaction temperature to lower values because the added water increases the concentration of OH, the critical chain carrier for H&K.

Since the retarding effect of water has been demonstrated experimentally (compare figures 3c and 3d, also see reference 6), this would seem to be a limitation on the H&K model. Such limitations are to be expected when an empirical model is pushed beyond the range of its data base. The DDHL model has the advantage resting on a much broader data base, one that covers all the parameters of practical importance in applications of the Thermal DeNOx process. This makes the model a useful tool in commercial application of the process, but it is to be recognized that when the model "predicts" the extent of NO reduction to be expected in a given boiler or furnace, it is merely interpolating within the base of laboratory data. When one develops a kinetic model by using the rate constants of unknown reactions as adjustable parameters, two kinds of failure are possible. The model can fail to predict kinetics for conditions outside the range of its data base because for these conditions reactions which were unimportant within the conditions of the data base become important. Such failure is less serious since it does not imply that the model is

essentially wrong, merely that it needs extension. It is also possible, however, for the adjustable parameters to produce a compensating set of errors. It is interesting to ask what experiments could be done to test the DDHL model for the latter problem.

A number of fair tests of the model are possible, i.e. in several instances the information in the model is sufficient to make unambiguous predictions about what should happen for conditions significantly different from the data base. Thus, for example, all the observations in the data base were at one atmosphere pressure and it would be interesting to see whether or not the model could correctly predict the effect of varying the pressure while holding  $[NH_3]$ ,  $[NO]$ ,  $[H_2O]$ , and  $[O_2]$  constant. Similarly the model contains the reactions known to be important during the oxidation of  $H_2$  and those which occur during  $CO$  oxidation could readily be added. Thus the model's ability to predict the extent to which adding  $H_2$  or  $CO$  shifts the optimum reaction temperature to lower values is another interesting test.

Another test of the model, one which has been carried out, involves the oxidation of  $NH_3$  at trace concentrations (19). The model's data base includes experiments in which  $NH_3$  at an initial concentration of 900 ppm was oxidized with  $NO$  initially absent. The observed decay of  $NH_3$  was zero order in  $NH_3$ . This somewhat surprising behavior is a result of the balance between chain carrier production and removal. If the production of free radicals by the reaction sequence  $HNO + M = H + NO + M$ ,  $H + O_2 = OH + O$  is balanced by their consumption by  $HNO + NH_2 = NO + NH_3$ , it follows that  $[NH_2]$  is independent of  $NH_3$  and the rate of  $NH_3$  disappearance is zero order. Obviously, however, if one starts with a sufficiently small initial concentration of  $NH_3$  this mechanism for maintaining  $[NH_2]$  constant has to become ineffective and the rate of  $NH_3$  oxidation must become dependent on  $[NH_3]$ . Specifically using the DDHL model one can calculate that for the conditions shown in figure 6 the decay of  $NH_3$  should be first order in  $NH_3$  and the decay constant should be 5.61/sec in contrast to the observed value of 5.65/sec. Thus in this instance, at least, the extrapolation of the DDHL model to conditions quite different from its data base is valid.

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TABLE 1

COMPARISON OF THE RATE CONSTANTS USED IN THE DDHL AND H&amp;K MODELS

(In this table R denotes the ratio of the DDHL rate constant to the H&K rate constant at 1200 K. \* indicates reactions which were found to be kinetically sensitive.)

		A	n	E, kcal	R**
1)	DDHL $\text{H}+\text{O}_2=\text{O}+\text{OH}$	$2.2\text{E}+14$	-0.	16.80	0.97
	H&K $\text{H}+\text{O}_2=\text{O}+\text{OH}$	$3.7\text{E}+17$	-1.00	17.5	
2)	DDHL $\text{O}+\text{H}_2=\text{H}+\text{OH}$	$1.8\text{E}+10$	1.0	8.90	1.0
	H&K $\text{O}+\text{H}_2=\text{H}+\text{OH}$	$1.8\text{E}+10$	1.00	8.90	
3)	DDHL $\text{H}_2+\text{OH}=\text{H}_2\text{O}+\text{H}$	$2.2\text{E}+13$	0.0	5.15	0.97
	H&K $\text{H}_2+\text{OH}=\text{H}_2\text{O}+\text{H}$	$1.17\text{E}+09$	1.30	3.626	
4)	DDHL $\text{OH}+\text{OH}=\text{O}+\text{H}_2\text{O}$	$6.3\text{E}+12$	0.0	1.09	0.95
	H&K $\text{O}+\text{H}_2\text{O}=\text{OH}+\text{OH}$	$4.60\text{E}+09$	1.3	17.10	
5)	DDHL $\text{H}+\text{O}_2+\text{M}=\text{HO}_2+\text{M}$	$1.5\text{E}+\text{E}15$	0.0	-0.995	1.45
	(For M=H <sub>2</sub> O the quoted rate constant is increased by x21)				
	H&K $\text{H}+\text{O}_2+\text{M}=\text{HO}_2+\text{M}$	$7.3\text{E}+18$	-1.0	0.0	
	(For M = N <sub>2</sub> or O <sub>2</sub> the quoted A factor is changed to $6.7\text{E}+19$ and n changed to -1.42)				
6)	DDHL $\text{H}+\text{HO}_2=\text{OH}+\text{OH}$	$2.5\text{E}+14$	0.0	1.90	1.0
	H&K $\text{H}+\text{HO}_2=\text{OH}+\text{OH}$	$2.5\text{E}+14$	0.0	1.90	
7)	DDHL $\text{HO}_2+\text{OH}=\text{H}_2\text{O}+\text{O}_2$	$5.0\text{E}+13$	0.0	1.00	1.0
	H&K $\text{HO}_2+\text{OH}=\text{H}_2\text{O}+\text{O}_2$	$5.0\text{E}+13$	0.0	1.00	
8)	DDHL $\text{HO}_2+\text{O}=\text{O}_2+\text{OH}$	$5.0\text{E}+13$	0.0	1.00	1.0
	H&K $\text{HO}_2+\text{O}=\text{O}_2+\text{OH}$	$5.0\text{E}+13$	0.0	1.00	
9)	DDHL $\text{NH}_3+\text{M} \rightleftharpoons \text{NH}_2+\text{H}+\text{M}$	$4.8\text{E}+16$	0.00	93.90	1.83
	H&K $\text{NH}_3+\text{M} \rightleftharpoons \text{NH}_2+\text{H}+\text{M}$	$2.5\text{E}+16$	0.0	93.79	
10)	DDHL $\text{NH}_3+\text{H}=\text{NH}_2+\text{H}_2$	$2.5\text{E}+13$	0.0	17.10	1.22
	H&K $\text{NH}_3+\text{H}=\text{NH}_2+\text{H}_2$	$1.3\text{E}+14$	0.0	21.50	
11)	DDHL $\text{NH}_3+\text{O}=\text{NH}_2+\text{OH}$	$1.5\text{E}+12$	0.0	6.04	0.23
	H&K $\text{NH}_3+\text{O}=\text{NH}_2+\text{OH}$	$2.19\text{E}+13$	0.0	8.94	
12)	DDHL $\text{NH}_3+\text{OH}=\text{NH}_2+\text{H}_2\text{O}$	$3.3\text{E}+12$	0.0	2.12	0.71
	H&K $\text{NH}_3+\text{OH}=\text{NH}_2+\text{H}_2\text{O}$	$5.75\text{E}+13$	0.0	8.11	
13)	DDHL $\text{NH}_2+\text{O}=\text{NH}+\text{OH}^*$	$1.7\text{E}+13$	0.	1.00	0.71
	H&K $\text{NH}_2+\text{O}=\text{NH}+\text{OH}$	$6.75\text{E}+12$	0.0	0.0	

Table 1 (continued)

14)	DDHL	$\text{NH}_2 + \text{OH} = \text{NH} + \text{H}_2\text{O}^*$	$5.5\text{E}+10$	0.68	1.29	0.66
	H&K	$\text{NH}_2 + \text{OH} = \text{NH} + \text{H}_2\text{O}$	$6.0\text{E}+12$	0.0	0.0	
15)	DDHL	$\text{NH}_2 + \text{H} = \text{NH} + \text{H}_2$	$5.0\text{E}+10$	0.5	2.00	0.39
	H&K	$\text{NH}_2 + \text{H} = \text{NH} + \text{H}_2$	$1.9\text{E}+13$	0.0	0.0	
16)	DDHL	$\text{NH}_2 + \text{HNO} = \text{NH}_3 + \text{NO}^*$	$1.8\text{E}+14$	0	1.00	15.8
	H&K	$\text{NH}_2 + \text{HNO} = \text{NH}_3 + \text{NO}$	$5.0\text{E}+11$	0.5	2.00	
17)	DDHL	$\text{NH} + \text{O}_2 = \text{HNO} + \text{O}$	$3.0\text{E}+13$	0.0	3.40	110.6
	H&K	$\text{NH} + \text{O}_2 = \text{HNO} + \text{O}$	$1.0\text{E}+13$	0.0	12.00	
18)	DDHL	$\text{HNO} + \text{OH} = \text{NO} + \text{H}_2\text{O}$	$3.6\text{E}+13$	0.0	0.0	0.5
	H&K	$\text{HNO} + \text{OH} = \text{NO} + \text{H}_2\text{O}$	$1.26\text{E}+12$	0.5	2.0	
19)	DDHL	$\text{HNO} + \text{M} = \text{H} + \text{NO} + \text{M}^*$	$1.9\text{E}+16$	0.0	48.68	0.4
	H&K	$\text{H} + \text{NO} + \text{M} = \text{HNO} + \text{M}$	$7.56\text{E}+15$	0.0	-0.6	
20)	DDHL	$\text{NO} + \text{HO}_2 = \text{NO}_2 + \text{OH}$	$3.4\text{E}+12$	0.0	-2.26	1.8
	H&K	$\text{NO} + \text{HO}_2 = \text{NO}_2 + \text{OH}$	$2.09\text{E}+12$	0.0	-4.48	
21)	DDHL	$\text{NH}_2 + \text{NO} = \text{NNH} + \text{OH}^*$	$6.1\text{E}+19$	-2.46	1.87	0.4
	H&K	$\text{NH}_2 + \text{NO} = \text{NNH} + \text{OH}$	$1.26\text{E}+16$	-1.25	0.0	
22)	DDHL	$\text{NH}_2 + \text{NO} = \text{N}_2 + \text{H}_2\text{O}^*$	$9.1\text{E}+19$	-2.46	1.87	0.6
	H&K	$\text{NH}_2 + \text{NO} = \text{N}_2 + \text{H}_2\text{O}$	$1.26\text{E}+16$	1.25	0.0	
23)	DDHL	$\text{O} + \text{NO}_2 = \text{NO} + \text{O}_2$	$1.0\text{E}+13$	0.0	0.6	1.0
	H&K	$\text{O} + \text{NO}_2 = \text{NO} + \text{O}_2$	$1.0\text{E}+13$	0.0	0.6	
24)	DDHL	$\text{NO}_2 + \text{H} = \text{NO} + \text{OH}$	$3.5\text{E}+14$	0.0	1.50	0.99
	H&K	$\text{NO}_2 + \text{H} = \text{NO} + \text{OH}$	$3.5\text{E}+14$	0.0	1.48	
25)	DDHL	$\text{NO}_2 + \text{M} = \text{NO} + \text{O} + \text{M}$	$1.1\text{E}+16$	0.0	66.00	1.6
	H&K	$\text{NO} + \text{O} + \text{M} = \text{NO}_2 + \text{M}$	$2.00\text{E}+15$	0.0	1.88	
26)	DDHL	$\text{NNH} + \text{NH}_2 = \text{N}_2 + \text{NH}_3^*$	$1.0\text{E}+13$	0.0	0.	1.0
	H&K	$\text{NNH} + \text{NH}_2 = \text{N}_2 + \text{NH}_3$	$1.0\text{E}+13$	0.0	0.0	
27)	DDHL	$\text{NNH} + \text{M} = \text{N}_2 + \text{H} + \text{M}^*$	$2.0\text{E}+14$	0.0	30.00	0.4
	H&K	$\text{NNH} + \text{M} = \text{N}_2 + \text{H} + \text{M}$	$2.0\text{E}+14$	0.0	28.00	
28)	DDHL	$\text{NNH} + \text{OH} = \text{N}_2 + \text{H}_2\text{O}$	$3.0\text{E}+13$	0.0	0.0	1.0
	H&K	$\text{NNH} + \text{OH} = \text{N}_2 + \text{H}_2\text{O}$	$3.0\text{E}+13$	0.0	0.0	
29)	DDHL	$\text{NNH} + \text{NO} = \text{N}_2 + \text{HNO}^*$	$9.1\text{E}+11$	0.0	0.0	0.02
	H&K	$\text{NNH} + \text{NO} = \text{N}_2 + \text{HNO}$	$5.0\text{E}+13$	0.0	0.0	
30)	DDHL	$\text{NH}_2 + \text{O}_2 = \text{HNO} + \text{OH}^*$	$5.1\text{E}+13$	0.0	30.00	1.4
	H&K	$\text{NH}_2 + \text{O}_2 = \text{HNO} + \text{OH}$	$4.5\text{E}+12$	0.0	25.00	



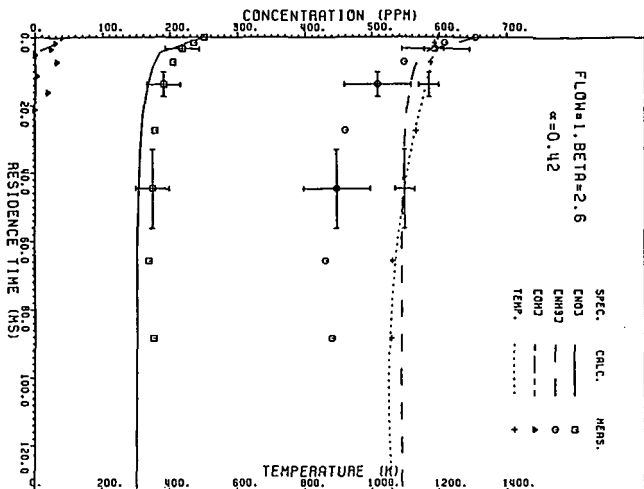


Figure 1. Comparison of H&K Model Predictions with Experiment.  $\text{NH}_3/\text{NO}=2.6$

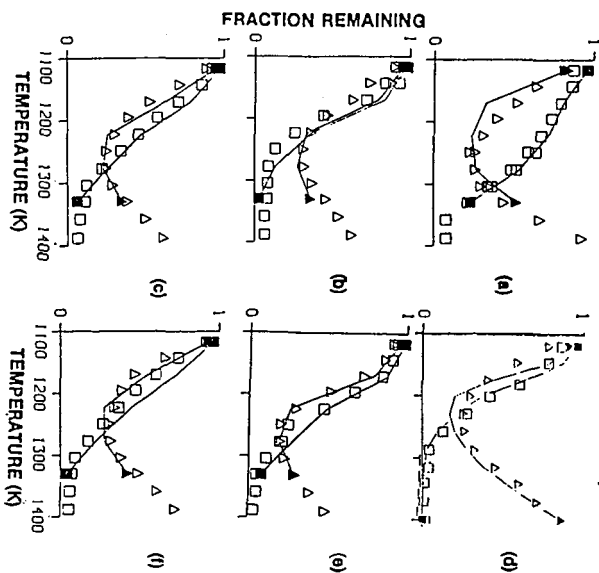


Figure 2. Comparison of DDHL Model Predictions (Lines Terminated by ■ for NO and by ▲ for  $\text{NH}_3$ ) with Experiment. □ = NO, ▲ =  $\text{NH}_3$ ,  $t=0.1$  sec,  $P=1.2$  atm,  $\text{O}_2=4\%$  (a,b,c,d),  $2\%$  (e),  $8\%$  f,  $\text{NH}_3=385$  ppm NO=100 ppm (a), 325 ppm (b), 225 ppm (c,d, e,f),  $\text{H}_2\text{O}=10\%$  (a,b,c,e,f) or  $0\%$  (c).

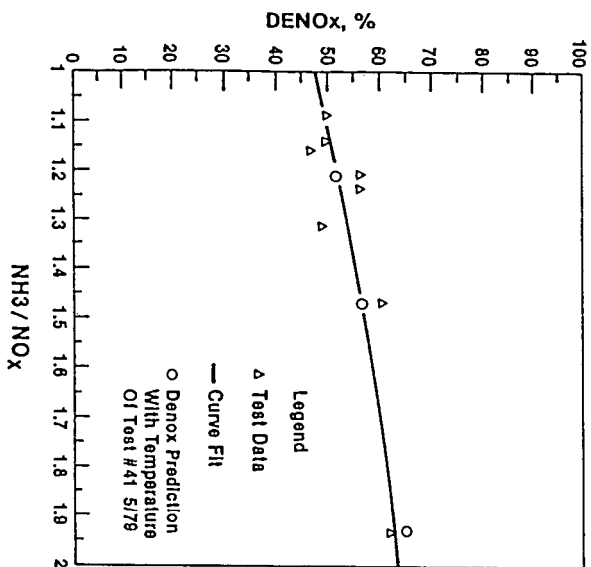


Figure 3. Comparison of DDHL Model Prediction with Observed NO Reduction in a Utility Boiler, LADWP Haynes #4. Curve Fit is to Test Data.

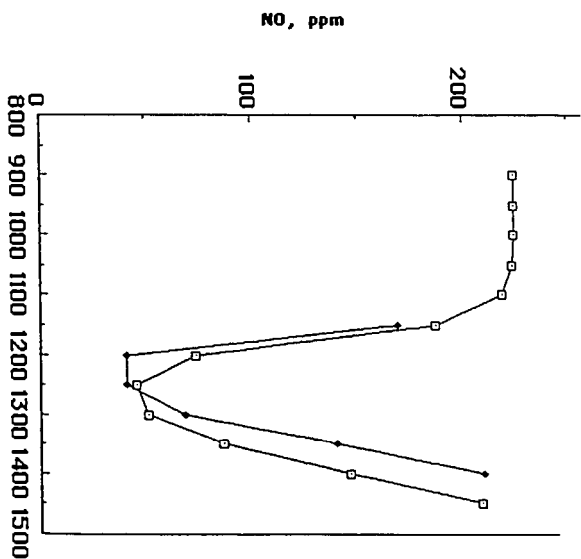


Figure 4. Effect of H<sub>2</sub>O on DenOX as Predicted by DDHL Model, 4% O<sub>2</sub>, 225 ppm NO, 385 ppm NH<sub>3</sub>, 0.1 sec reaction time  
 □ = 10% H<sub>2</sub>O, ♦ = 0% H<sub>2</sub>O.

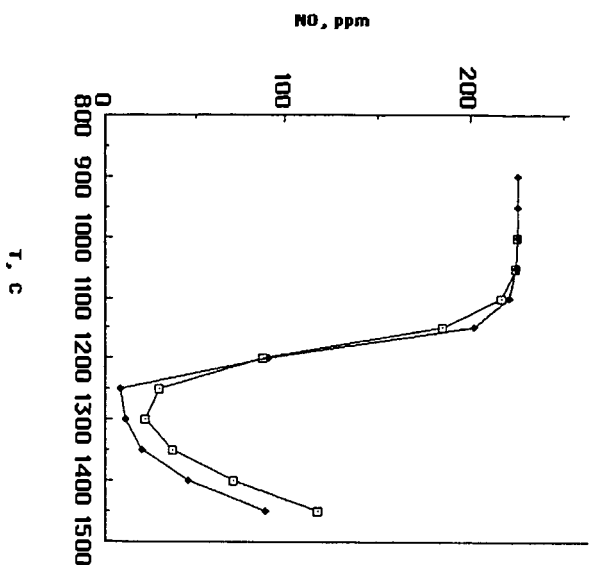


Figure 5. Effect of  $H_2O$  on  $DeNO_x$  as Predicted by H&K Model, 4%  $O_2$ , 225 ppm NO, 385 ppm  $NH_3$ , 0.1 sec Reaction Time  $\square=10\% H_2O$ ,  $\diamond=0\% H_2O$ .

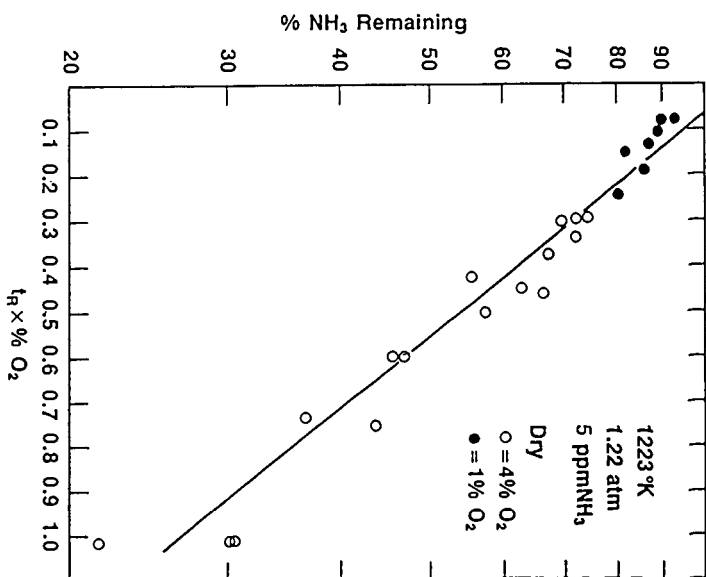


Figure 6. First Order Decay of  $NH_3$  During the Oxidation of  $NH_3$  at Trace Concentrations